

Overview of GPAW

Jussi Enkovaara

Department of Applied Physics

Aalto University School of Science

Finland

GPaw

- Implementation of projector augmented wave method on
 - uniform real-space grids, atomic orbital basis, plane waves
- Density-functional theory, time-dependent DFT, many-body perturbation theory, ...
- Open source software licensed under GPL

wiki.fysik.dtu.dk/gpaw

J. J. Mortensen et al., Phys. Rev. B 71, 035109 (2005)

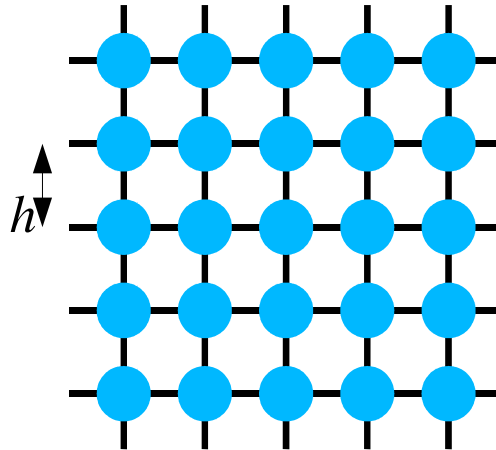
J. Enkovaara et al., J. Phys. Condens. Matter 22, 253202 (2010)

Outline

- Basis sets in GPAW
- Overview of GPAW features
- Performance and parallelization

Real-space grids

- Wave functions, electron densities, and potentials are represented on grids.
- Single parameter, grid spacing h



- Accuracy of calculation can be improved systematically
- Derivatives by finite differences

Boundary conditions

- Real-space description allows flexible boundary conditions
- Zero boundary conditions (finite systems)
- Periodic boundary conditions (bulk systems)
- Boundary conditions can be mixed
 - periodic in one dimension (wires)
 - periodic in two dimensions (surfaces)

Localized basis set

- Linear combination of atomic orbitals (LCAO) provide compact basis set

$$\tilde{\psi}_n = \sum_{\nu} C_{n\nu} \Phi_{\nu}(\mathbf{r})$$

$$\Phi_{nlm}^a(\mathbf{r}) = R_{nl}^a(|\mathbf{r} - \mathbf{R}^a|) Y_{lm}(\mathbf{r} - \mathbf{R}^a)$$

- The atomic orbitals are obtained from a free atom in a confining potential well
- Possible to switch between localized basis and real-space grids
- Same boundary conditions as with real-space grid

Plane wave basis

- Functions which are periodic with respect to unit cell can be written as sum of plane waves

$$\psi_{n\mathbf{k}}(\mathbf{r}) = \frac{1}{\Omega^{1/2}} \sum_{\mathbf{G}} C_{\mathbf{G},n\mathbf{k}} e^{i(\mathbf{G}+\mathbf{k})\cdot\mathbf{r}}$$

$$n(\mathbf{r}) = \sum_{\mathbf{G}} n_{\mathbf{G}} e^{i\mathbf{G}\cdot\mathbf{r}} \quad V(\mathbf{r}) = \sum_{\mathbf{G}} V_{\mathbf{G}} e^{i\mathbf{G}\cdot\mathbf{r}}$$

where \mathbf{G} are reciprocal lattice vectors

- The expansion is truncated according to
$$\frac{1}{2} |\mathbf{G} + \mathbf{k}|^2 < E_{cutoff}$$
- Only periodic cells (supercells)

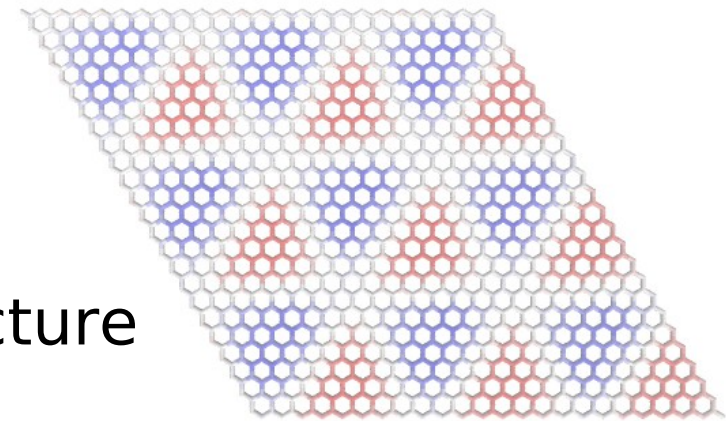
Comparison on basis sets

- Real-space grids
 - systematic convergence with single parameter
 - some integrals complicated in real-space
 - good parallelization prospects
- Localized basis set
 - compact basis
 - systematic convergence can be difficult
- Plane waves
 - systematic convergence with single parameter
 - some integrals simplified in reciprocal space
 - very efficient in small to medium size systems
 - parallelization more limited due FFTs



GPAW features

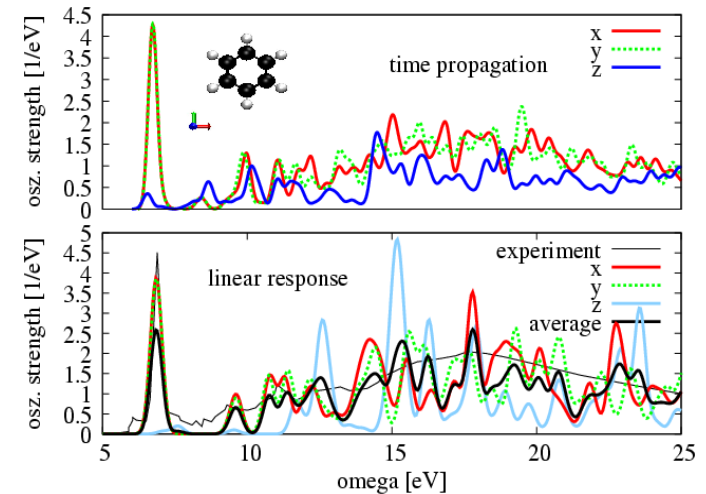
- Ground state properties
 - Total energies, forces, magnetic moments
 - Structural optimization
 - Analysis of electronic structure
 - ...
- Wide range of XC-potentials (thanks to **libxc!**)
 - LDAs, GGAs, meta-GGAs, hybrids, DFT+U, vdW, RPA



Corrugation of BN sheet on Al surface (vdW functional)

Time-dependent DFT

- Real-time propagation
 - Optical absorption spectra
 - Non-linear emission
 - Ehrenfest dynamics
- Linear response
 - Casida equation (finite systems)
 - Dyson equation (extended systems)
 - Excitation energies, optical absorption, electron energy loss spectra

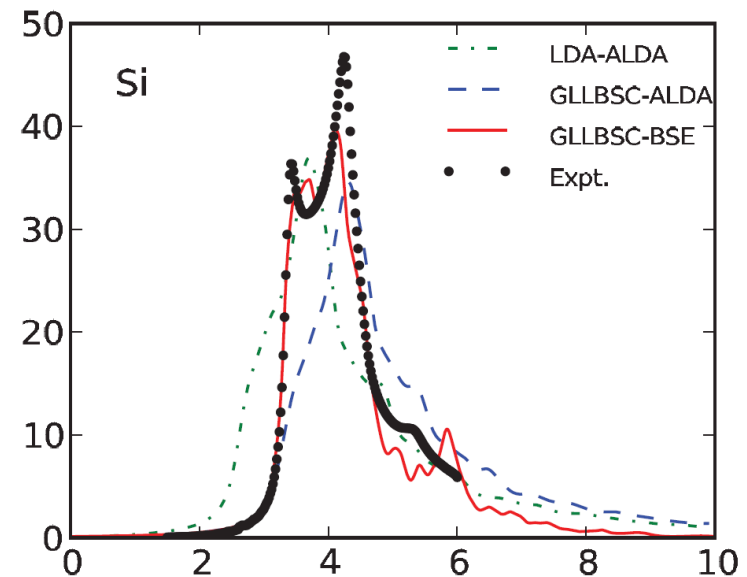


M. Walter, L. Lehtovaara et al. J. Chem. Phys. 128 (2008)

J. Yan et al PRB 83, 245122 (2011)

Many-body perturbation theory

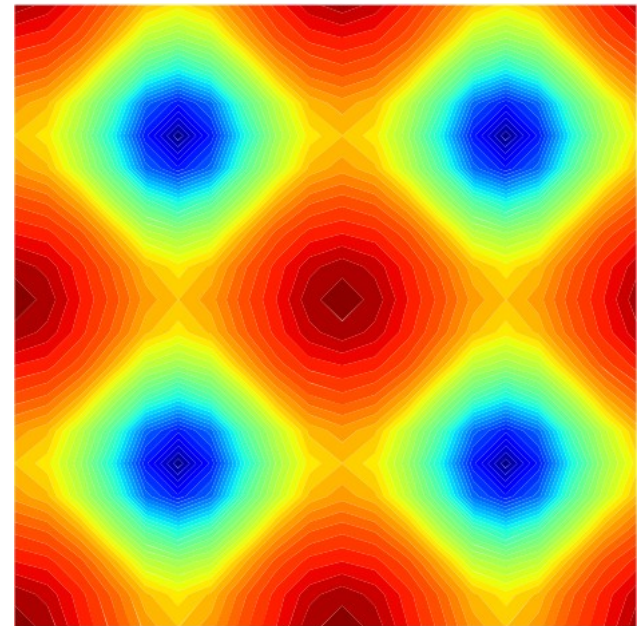
- GW-approximation
 - Quasiparticle band structure
- Bethe-Salpeter equation
 - Excitonic effects in optical spectra



J. Yan et al. PRB 86, 045208 (2012)

Other features

- Transport (Non-equilibrium Green functions)
- XAS spectra
- STM simulations
- Δ SCF
- Wannier functions
- ...



STM image of
Al (100) surface

Usage features

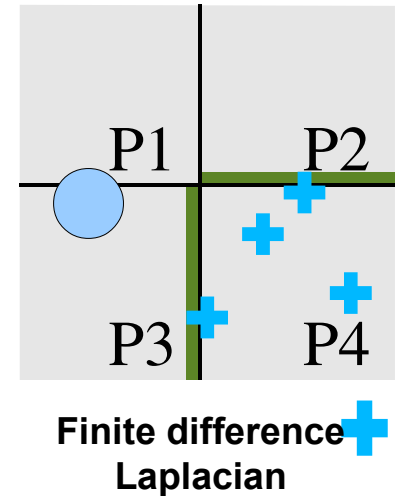
- Simple but flexible Python scripting interface via Atomic Simulation Environment
- Modular design helps implementing new features
- Runs on wide variety of computer architectures from simple Linux workstations to big supercomputers (Blue Gene P/Q, Cray, ...)
 - experimental GPGPU support
- Efficient parallelization, system sizes up to thousands of electrons

Parallelization in GPAW

$$H_{k,s} \psi_{i,k,s}(\mathbf{r}) = e_i S \psi_{i,k,s}(\mathbf{r})$$

$$n(\mathbf{r}) = \sum_{i,k,s} |\psi_{i,k,s}(\mathbf{r})|^2$$

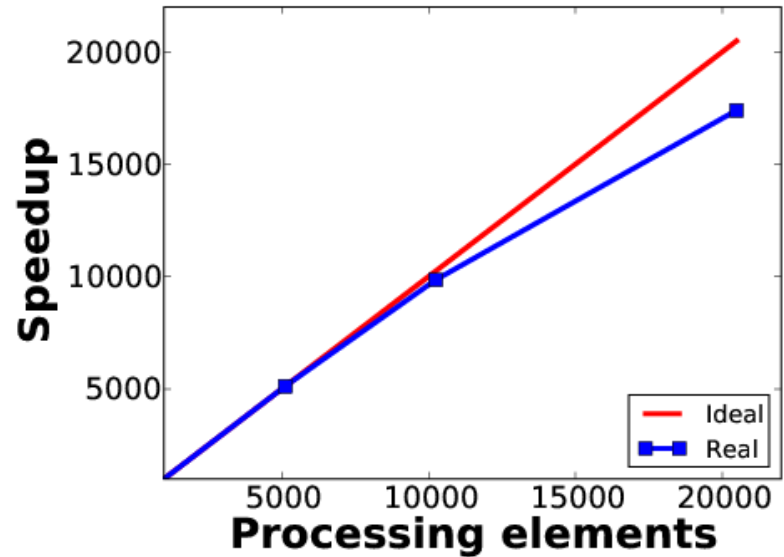
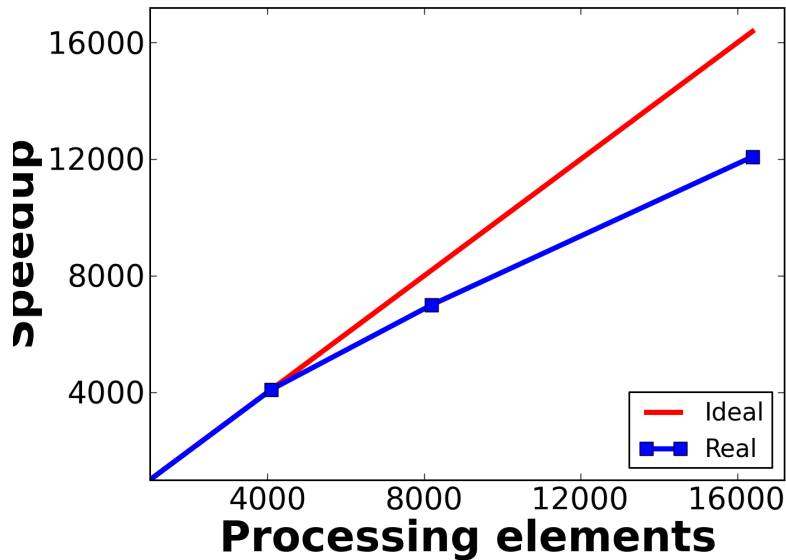
- Parallelization over several degrees of freedom
- **Domain decomposition** (real-space, LCAO)
 - only local communication
- Parallelization over **k-points** and **spin**
 - periodic and magnetic systems
- Parallelization over **electronic states**



Parallelization in GPAW

- Some GPAW features have additional parallelization possibilities
- Real-time TDDFT: trivial parallelization over electronic states
- Linear response TDDFT, Bethe-Salpeter: parallelization over electron-hole pairs
- GW: parallelization over energy

Parallel scalability

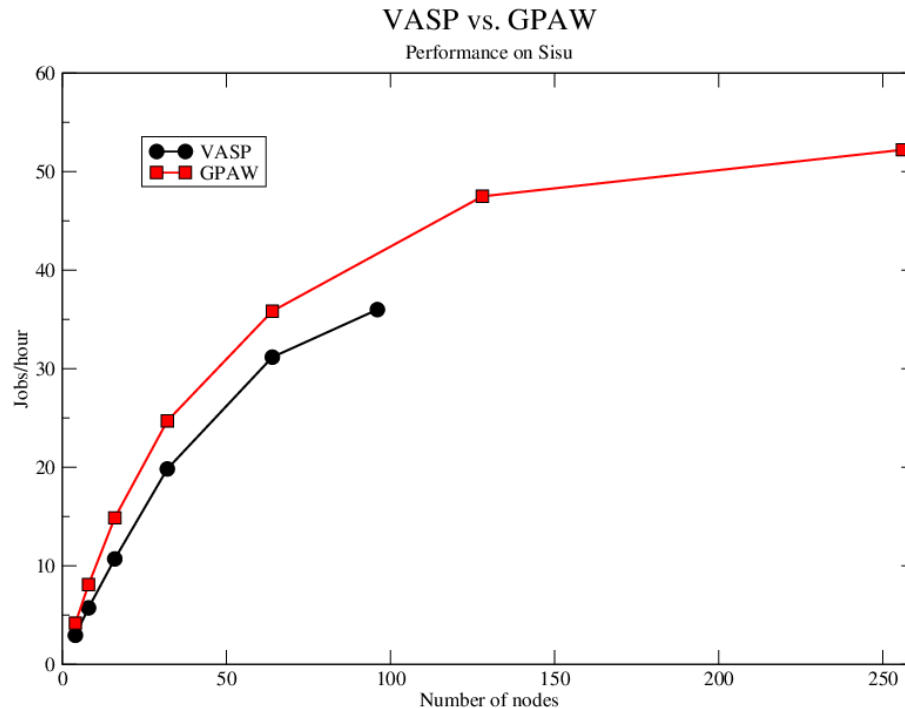


- Ground state DFT
 - 561 Au atom cluster
 - ~6200 electronic states
 - Blue Gene P, Argonne

- TD-DFT
 - 702 Si atom cluster
 - ~2800 electronic states
 - Cray XT5 Jaguar

GPAW performance

- Generally, GPAW has similar performance to equivalent DFT packages



1269 atom MgH₂ system, courtesy of T. Björkman

Summary

- GPAW is a versatile program package for electronic structure calculations
- Different basis sets
- Vast set of features
- Well suitable for large scale calculations on massively parallel computers

Acknowledgements

- Partnership for Advanced Computing in Europe (PRACE), EU FP7 programme
- Finnish Technology Agency, MASI program
- Argonne Leadership Computing Facility, US DoE
- Whole GPAW development team
 - J.J., Marcin, Ask, Nick, Christian, Carsten, Lauri, Michael, Lara, Mikael, Olga, Mikkel, Jun, Thomas, Jess, Mathias, Ari, Samuli, David, Karsten, Jens, Kristian, Jacob, Hannu, Tapio, Martti, Risto, ...

Acknowledgements

